

Warm Up:

If  $x = 3i$ ,  $y = 2i$ , and  $z = m + i$ , then evaluate  $x^2yz$ .

$$(3i)^2(2i)(m+i)$$

$$9i^2(2i)(m+i)$$

$$18i^3(m+i)$$

$$18mi^3 + 18i^4$$

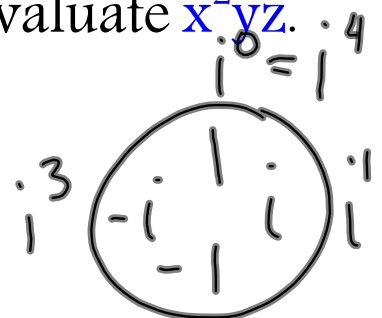
$$18m(-i) + 18(1)$$

$$-18mi + 18$$

$$18 - 18mi$$

$$(3i)^2$$

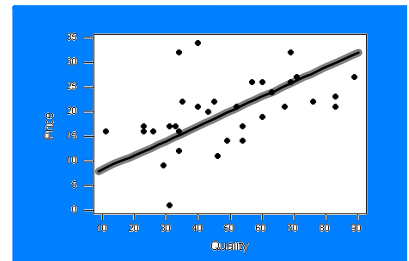
$$-9$$



Unit 7:  
Regressions,  
Sequences &  
Series

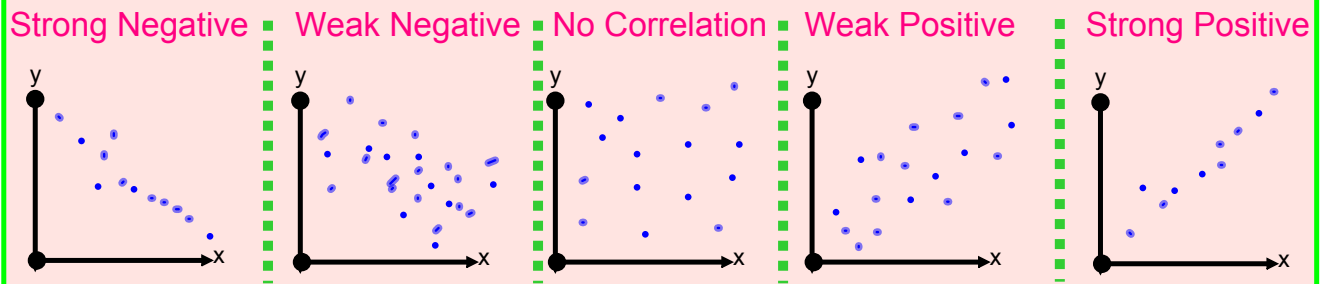
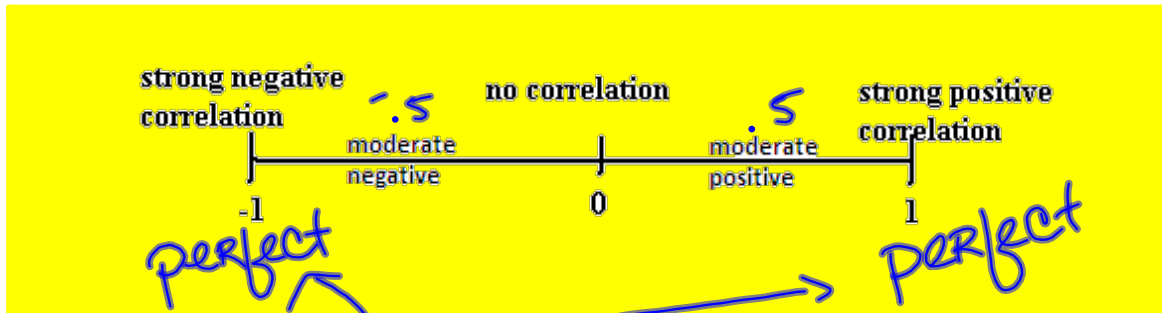
Scatter Plots &  
Regressions

Scatter Plot.

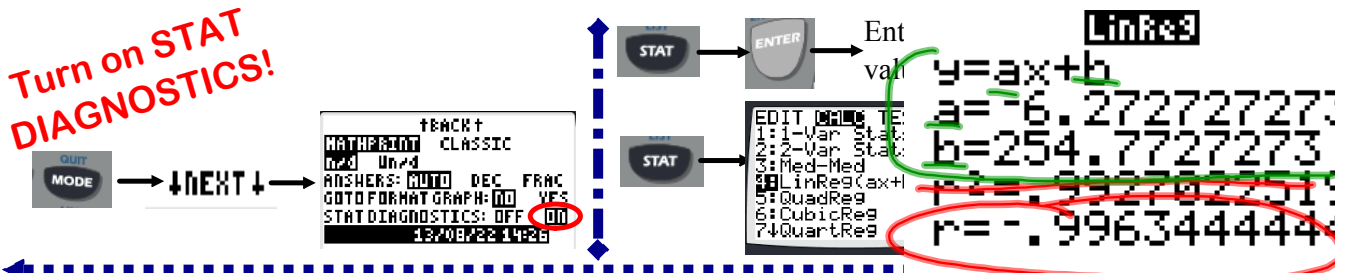


line of best fit- Regression  
(line that approximates the data)

correlation- (r) how it closely the data  
fits Regression line



Turn on STAT DIAGNOSTICS!



Example: **LINEAR**

1) Jeremiah joined an exercise program to try to lose weight. Each month he records the number of months in the program and his weight at the end of that month.

|   |        |     |     |     |     |     |     |     |     |     |     |     |     |
|---|--------|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| X | Month  | 1   | 2   | 3   | 4   | 5   | 6   | 7   | 8   | 9   | 10  | 11  | 12  |
| y | Weight | 248 | 242 | 237 | 228 | 222 | 216 | 216 | 206 | 197 | 193 | 185 | 178 |

- a) Describe the correlation. *Negative, Strong*  
 $r = -.99$
- b) Write the regression equation.  $y = -6.27x + 254.77$

c) Predict what Jeremiah's weight would be in the 13th month if he continued losing weight at this rate.  $y = -6.27(13) + 254.77$   
 $y = 173.26$

d) During what month would Jeremiah be down to 150 lb if he continued the same rate of weight loss?


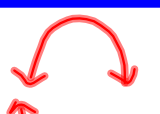










$$150 = -6.27x + 254.77$$

$$150 - 254.77 = -104.77$$

$$\text{Ans} \div -6.27 = 16.70972887$$

*during 16th month*

## Calculating Regressions (Other than Linear)

| Type of Function:                     | Where to find it in the calculator: | Properties:      | Increasing Picture:  | Decreasing Picture:   |
|---------------------------------------|-------------------------------------|------------------|--|---|
| Quadratic                             | 5: QuadReg                          |                  |   |   |
| Cubic<br><i>3<sup>rd</sup> deg</i>    | 6: CubicReg                         |                  |  |  |
| Quartic<br><i>4<sup>th</sup> deg.</i> | 7: QuartReg                         |                  |  |  |
| Logarithmic                           | 9: LnReg                            | $x > 0$          |  |  |
| Exponential                           | 0: ExpReg                           | $y > 0$          |  |  |
| Power<br><i><math>y = ax^b</math></i> | A: PowReg                           | Crosses<br>(0,0) |  |  |

Determining the MOST appropriate model for the data

Kyle finds data on the Internet about carbon dating. The following table shows the years since an organism's death and the concentration of C<sup>14</sup> atoms in the organism. Which type of regression would best model this situation?

| Years since death | C <sup>14</sup> atoms remaining per 1.0x10 <sup>8</sup> atoms |
|-------------------|---|
| 0                 | 10,000  |
| 5,700             | 5,000   |
| 11,400            | 2,500   |
|                   | 1,250   |
| 22,800            | 625   |
| 28,500            | 312   |
| 34,200            | 156   |
| 39,900            | 78  |

(a) linear

$r = -.8504...$

```

Linear
y=ax+b
a=-.2106578947
b=6692.75
r2=.7232671828
r=-.8504511643
    
```

(b) logarithmic

ERROR

(c) exponential

$r = -.9999...$

```

Expon
y=a*b^x
a=10004.004
b=.9998783525
r2=.999999932
r=-.999999966
    
```

(d) trigonometric



Handwritten blue annotations on the table: a '+' sign above the 34,200 entry and a '-' sign above the 39,900 entry, with arrows pointing down to the corresponding C<sup>14</sup> values.

Therefore, the way we determine the most appropriate model is ...

$r$ -value

(correlation closest to  $\pm 1$  is  
the best fit)